PROGRESS IN ADVANCED SPRAY COMBUSTION 4/3 76-3

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ABSTRACT

A multiyear project to assemble a robust, multiphase spray combustion code is now underway and gradually building up to full speed. The overall effort involves several university and government research teams as well as Rocketdyne. The first part of this paper will give an overview of the respective roles of the different participants involved, the master strategy, the evolutionary milestones, and an assessment of the state-of-the-art of various key components. The second half of this paper will highlight the progress made to-date in extending the baseline Navier-Stokes solver to handle multiphase, multispecies, chemically reactive sub- to supersonic flows. The major hurdles to overcome in order to achieve significant speed ups are delineated and the approaches to overcoming them will be discussed.

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PROGRESS IN ADVANCED SPRAY COMBUSTION CODE INTEGRATION

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NASA Marshall Space Flight Center

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I. GENESIS OF THE IDEA

-- VALUE OF THE FIRST GENERATION EXPERIENCE: ARICC-

STILL REPRESENTS ONE OF THE MOST COMPREHENSIVE PACKAGES OF PHYSICAL MODELS IN ANY CFD CODE ARICC

THREE-PHASE (DROPLETS, GAS, LIQUID) CFD IN A FINITE DEMONSTRATED THE FEASIBILITY OF FULLY COUPLED **VOLUME FORMULATION** ARICC

PROPULSION: I.E., ATOMIZATION, EVAPORATION, DISCIPLINARY APPROACH AD THE KEY ROLE OF HIGHLIGHTED THE CRITICALITY OF THE INTER-SEVERAL PHYSICAL PROCESSES IN LIQUID **DENSE SPRAY EFFECTS** ARICC



I. GENESIS OF THE IDEA

-- MOTIVATION BEHIND THIS EFFORT --

0

ADVANCED STATUS OF MULTI-PHASE SPRAY COMBUSTION MODELING

FROM A LEVEL OF TO A LEVEL OF

FEASIBILITY

TECHNICAL

ATTRACTIVENESS

ECONOMIC

CF. EXTERNAL FLOW AERODYNAMIC CODES CIRCA 1980.



II. DETAILS OF THE PLAN

THROUGH MULTI-PARTY INVOLVEMENT ORGANIZATIONAL OBJECTIVE: BROADENED SENSE OF OWNERSHIP

TECHNICAL OBJECTIVE:

3-5X REDUCTION IN TURNAROUND TIME THROUGH

- MODEST IMPROVEMENT IN COMPUTATIONAL EFFICIENCY
- LARGE IMPROVEMENTS IN ROBUSTNESS
- PROVISIONS FOR EVOLVING COMPUTER ARCHITECTURES

NEAR-TERM (3 YR), CLEAR-CUT PROJECT COMPLETION THROUGH USE OF

SCHEDULING OBJECTIVE:

- PROVEN LOW RISK METHODOLOGY AS BASE
- INCORPORATION OF NOVEL ENHANCE-MENT FEATURES CURRENTLY BEING DEVELOPED IN OTHER TECHNOLOGY EFFORTS



APPLICATIONAL OBJECTIVE

OPTIMAL ENGINEER - MODEL INTERFACE (DESIGNER)

HOW TO MAKE CFD MODELS USABLE BY NON-CFD SPECIALISTS?

- **EASY PARAMETRIC VARIATION OF HARDWARE GEOMETRY**
- EASY VISUALIZATION OF FLOW FIELD AND HEAT LOADING
- **EASY DIAGNOSIS OF NUMERICAL PROBLEMS**



MOTIVATION

- IMPROVED ROBUSTNESS OF NEXT-GENERATION CODE TO BE **MEASURED IN TERMS OF**
- OPERABILITY OVER WIDE RANGE OF DIFFERENT REGIMES
- COMPUTATIONAL EFFICIENCY FOR BASELINE FLOW PROCESSES
- INCREASED TOLERANCE OF LOCALLY OR TEMPORARILY STIFF **PROCESSES**



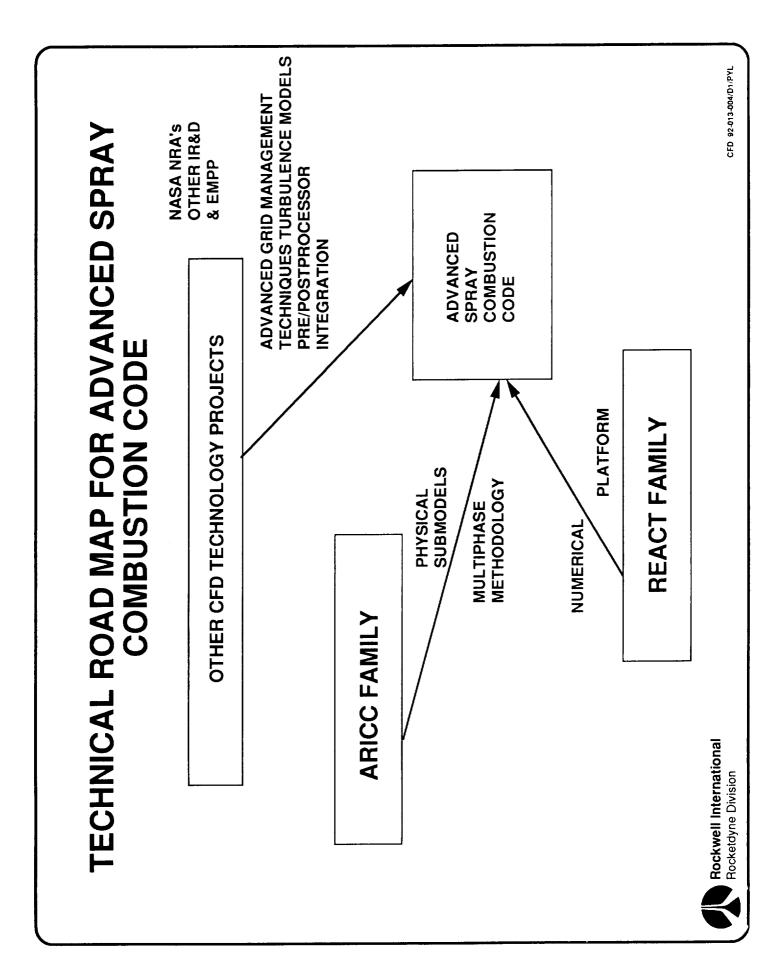
CODE INTEGRATION STRATEGY

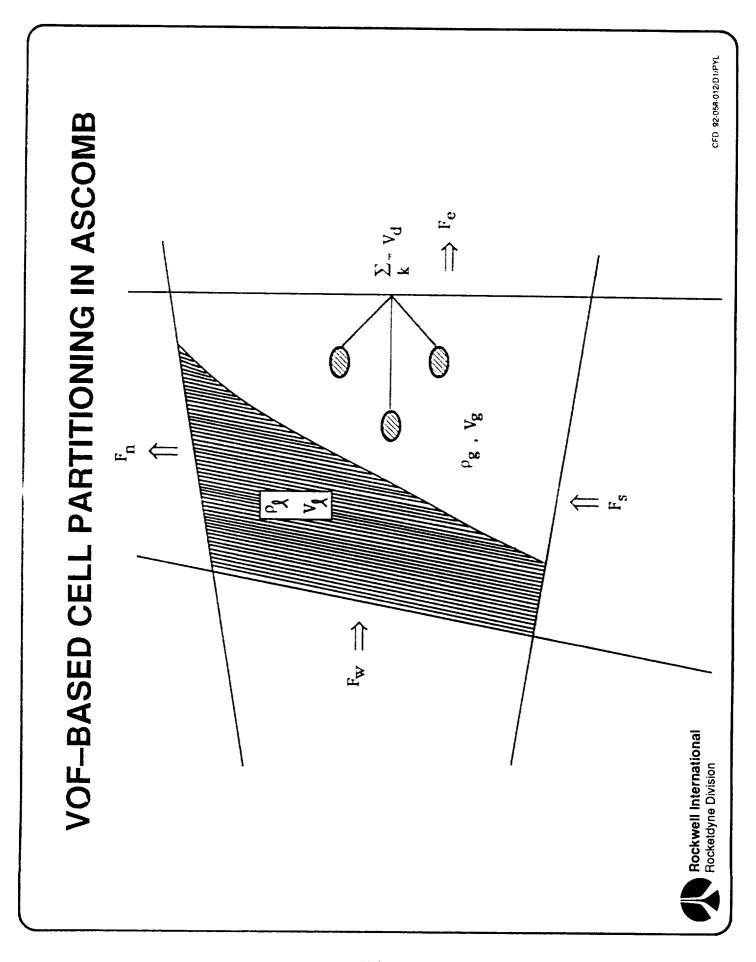
- START WITH
- PROVEN, PRESSURE-BASED METHODOLOGY OF REACT CODES (BASED ON WORK BY PERIC, 1985)
- COLLOCATED, PRIMITIVE VARIABLES
- SEQUENTIAL SOLVER
- TRANSLPLANT ARICC MULTI-PHASE SUBMODELS
- CLOSELY COORDINATED 2D/3D AND SS/TIME-ACCURATE VERSIONS

DEVELOP ADVANCED TECHNIQUES FOR OVERCOMING STIFFNESS

- SOURCE TERM PRE-CONDITIONING
- GRID ADAPTATION
- CODING TECHNIQUE FOR PARALLEL COMPUTER ARCHITECTURES







VOLUME-OF-FLUID TWO-PHASE TRACKING SCHEME IMPLEMENTED IN BOTH ARICC AND GALACSY-2D:

GENERAL ALGORITHM FOR ANALYSIS OF COMBUSTION SYSTEMS



SUMMARY OF GOVERNING EQUATIONS

mass:

$$\frac{\partial \bar{\rho}}{\partial t} + \nabla \cdot (\bar{\rho} \, \mathbf{u}) = \dot{\bar{\rho}} d$$

where

$$\bar{p} = \mathcal{F} \rho_{g} + (1 - \mathcal{F}) \rho_{\ell}$$

momentum:

$$\frac{\partial \bar{\rho} \mathbf{u}}{\partial t} + \nabla \bullet (\bar{\rho} \mathbf{u} \mathbf{u}) = -\nabla p - \nabla (\frac{2}{3} \bar{\rho} \bar{k}) + \nabla \bullet \underline{\tilde{g}} + S + \bar{\rho} \mathbf{G}$$

internal energy:

$$\frac{\partial \bar{\rho} \bar{l}}{\partial t} + \nabla \cdot (\bar{\rho} \bar{l} \mathbf{u}) = -p \nabla \cdot \mathbf{u} - \nabla \mathbf{J} + \bar{\rho} \bar{\epsilon} + \dot{\mathbf{Q}}^c + \dot{\mathbf{Q}}^s$$
 chemistry spray

species m:

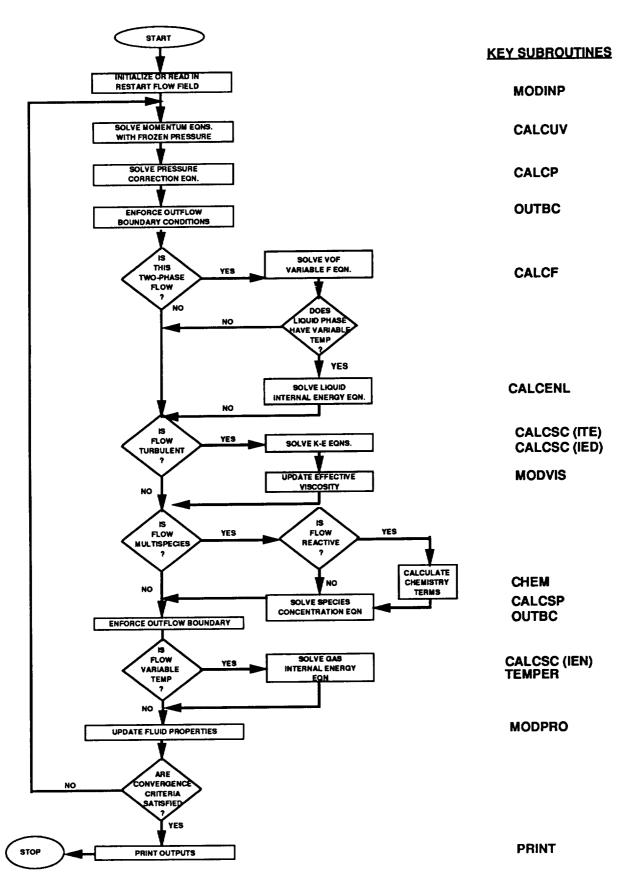
$$\frac{\partial \bar{\rho}_m}{\partial t} + \nabla \bullet (\rho_m \mathbf{u} \mathcal{F}) = \mathcal{F} \nabla \bullet [\rho_g \mathcal{D} \nabla \left(\frac{\rho_m}{\rho_g}\right)] + \hat{\bar{\rho}}_m^c + \hat{\bar{\rho}}_s^c + \hat{\bar{\rho}}_s \delta_{m,s}$$
 chemistry evaporation

volume fraction:

$$\frac{\partial \mathcal{F}}{\partial t} + \nabla \cdot \mathbf{u} \mathcal{F} = \hat{\mathcal{F}}_{S} = \frac{\text{net gas vol. outflux}}{\text{per unit total vol.}} = \frac{\mathbf{\dot{\hat{\rho}}}_{S}}{\rho_{S}}$$

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OVERALL FLOW CHART FOR ASCOMB



SYNOPSIS OF SOLUTION APPROACH

CAST ALL MATRIX EQUATIONS INTO GENERIC FORM

$$ap\phi P = \sum_{m} am\phi m + CP$$

WHERE

$$ap = \sum_{m} am + \dot{\vec{p}}_s V_c$$

EXCEPT FOR \mathscr{F} -EQUATION, WHERE

$$ap = \sum_{m} am + \sum_{m} w$$

- FLOWS BY DOING IMPLICIT DIFFERENCING ONLY FOR CONVECTION AND NORMAL KEEP COEFFICIENT MATRIX TO 5-DIAGONAL FOR 2D AND 7-DIAGONAL FOR 3D DIFFUSION TERMS.
- SOLVE WITH STONE'S STRONGLY IMPLICIT PROCEDURE



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OBSERVATIONS ON GENERAL FLOW CHARACTERISTICS THAT FORM THE BASIS OF SOLUTION STRATEGY

- VELOCITY COMPONENTS STRONGLY COUPLED TO EACH OTHER ONLY BY WAY OF PRESSURE; WEAKLY COUPLED TO TURBULENCE & TEMPERATURE FIELDS
- HENCE, 2-STEP PRESSURE CORRECTION APPROACH OF "SIMPLE"
- FLUX UPDATE INCLUDES DENSITY CORRECTION TERM FOR COMPRESSIBLE

$$F_{gi} = F_{gi}^* + F_{gi}' + F_{gi}$$

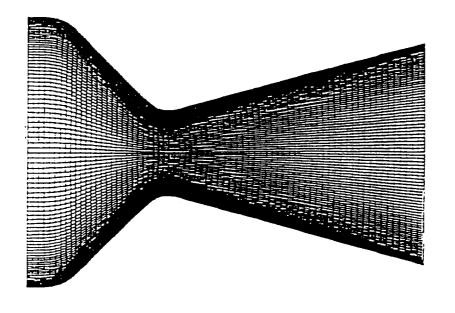
WHER

$$F_{gi}^* = \mathcal{F}_i \; \rho_i^* (u_1^* b_1^! + u_2^* b_2^! + u_3^* b_3^!)_i = \mathcal{F}_i \; \rho_i^* \; \mathring{V}_i^*$$

$$F_{gi}^{'} = \mathcal{F}_{i} \; \rho_{i}^{*} (u_{1}^{'} b_{1}^{i} + u_{2}^{'} b_{2}^{i} + u_{3}^{'} b_{3}^{i})_{i} \; = \mathcal{F}_{i} \; \rho_{i}^{*} \; \mathring{\mathbf{V}}_{i}^{'}$$

$$\overset{A}{F}_{gi} = \mathcal{F}_{i} \; \rho_{i}^{'} (u_{1}^{*} b_{1}^{i} + u_{2}^{*} b_{2}^{i} + u_{3}^{*} b_{3}^{i})_{i} = \mathcal{F}_{i} \; \rho_{i}^{'} \; \overset{\bullet}{V}_{i}^{*}$$

COMPUTATIONAL MESH OF CONICAL NOZZLE TEST CASE

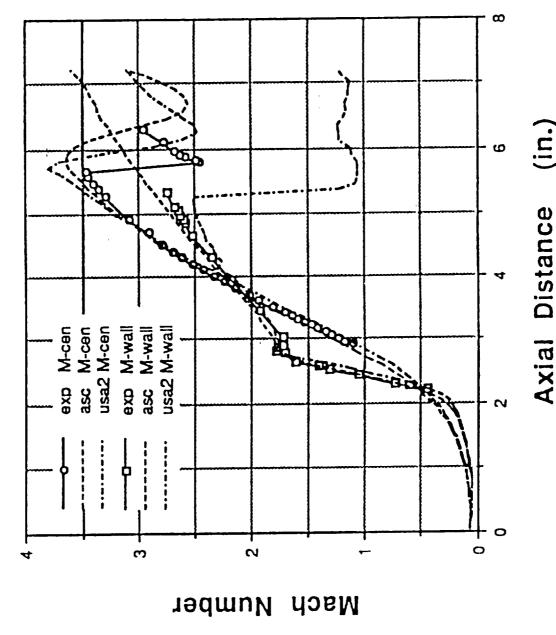


monts = 98 × 71 Lime = 7,355×10° reye = 2000

dio = 1.270×10'

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COMPARISON OF CENTERLINE AND WALL MACH NUMBER PROFILES FOR JPL CONICAL NOZZLE





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CHEMISTRY MODEL UPGRADE

- SUPER FAST EQUILIBRIUM PACKAGE FOR H/O CHEMISTRY IMPLEMENTED
- DIRECT CUBIC SOLVER, 8 SPECIES
- FOR EQUILIBRIUM SPECIES, TRANSPORT EQUATIONS FOR ATOMIC TOTAL RATHER THAN FOR INDIVIDUAL COMPOUNDS

1.
$$2 (H2) + 2(H2O) + (OH) + (H) + (HO2) + 2(H2O2) = (H)$$

2.
$$2 (O_2) + (H_2O) + (OH) + 2(HO_2) + 2(H_2O_2) + (O) = ($\dot{O})^{\circ}$
3. $1/2 O_2 + H_2 = H_2O$ (H2O) = (KH2O) (H2) ($\sqrt{O_2}$)$$

$$H = (KOH) (\sqrt{H2}) (\sqrt{O2})$$

4.
$$1/2 H_2 + 1/2O_2 = OH$$
 (0

$$(H) = (KH) (\sqrt{H2})$$

5.
$$1/2 H_2 = H$$

6. 1/2 H2 + O2 = HO2

(HO2) = (KHO2)
$$(\sqrt{H2})$$
 (O2)

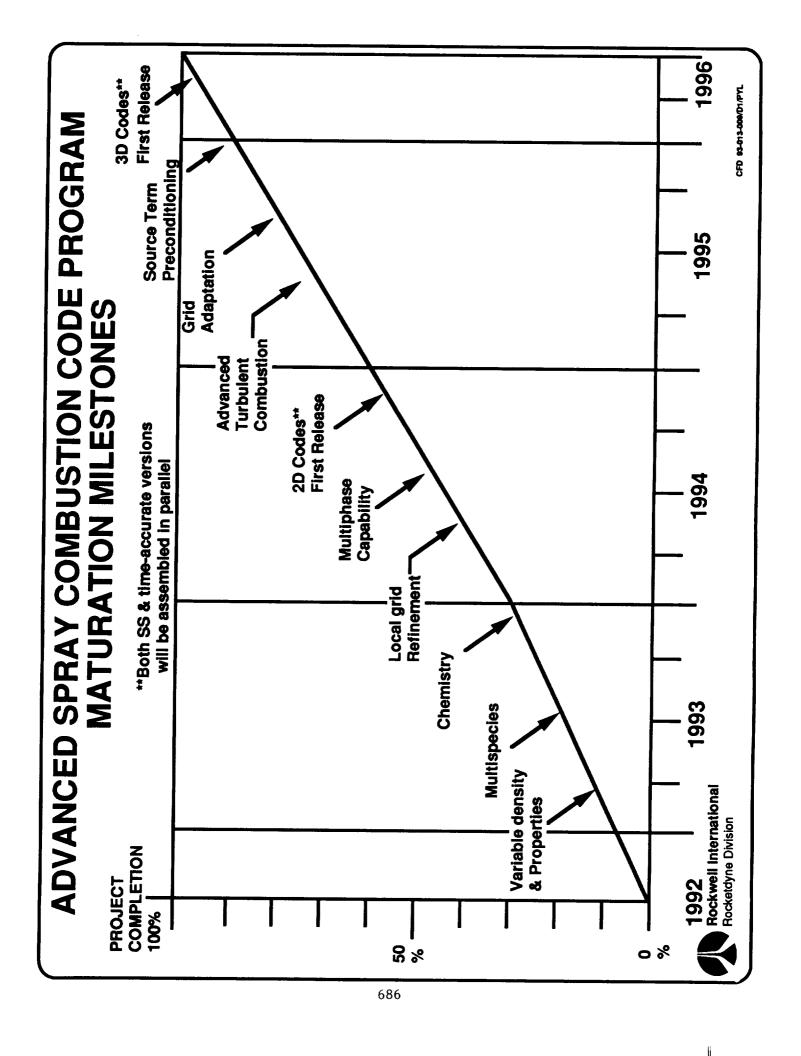
7.
$$H2 + O2 = H2O2$$

$$(H2O2) = (KH2O2) (H2) (O2)$$

8.
$$1/2.02 = 0$$

$$(O) = (KO) (\sqrt{O2})$$

FOR KINETICS SPECIES, PREVIOUS GENERAL KINETICS MODEL IS RETAINED



CONCLUDING REMARKS

- REACT PRESSURE-BASED METHODOLOGY HAS BEEN EXTENDED TO MULTI-PHASE, MULTI-SPECIES, SUPERSONIC FLOWS
- QUANTITATIVE VALIDATION IN PROGRESS
- GOAL OF 10X REDUCTION IN TURNAROUND TIME SEEMS ACHIEVABLE AT LEAST FOR SOME TYPES OF STEADY STATE FLOWS.
- UPCOMING ACTIVITY WILL FOCUS ON
- LAGRANGIAN SPRAY REPRESENTATION COUPLING SCHEME
- SOURCE TERM STIFFNESS , MITIGATION



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